Today's Lecture

• Planning

Planning: general approach

- Use a (restrictive) formal language to describe problems and goals.
 - Why restrictive? More precision and fewer states to search
- Have a goal state specification and an initial state.
- Use a special-purpose **planner** to search for a solution.

Basic formalism

- Basic logical formalism derived from STRIPS.
- State variables determine what actions can or should be taken: in this context they are <u>conditions</u>
 - Shoe_untied()
 - Door_open(MC)
- An operator (remember those?) is now a <u>triple</u> Preconditions Additions Deletions

Going forwards

 All state variables are true or false, but some may not be defined at a certain point on our

State Progression.

A planner based on this is a progression planner.

Idea:

In a state S, Can apply operator $\underline{X}=(P,A,D)$. Leads to new state T

$$T = f_{\underline{X}}(S) = (S-D) \cup A$$

Constancy

- Important caveat
- When we go from one state to another, we assume that the <u>only changes were those</u> <u>that resulted explicitly from the</u> <u>Additions and Deletions.</u>

Given this assumption, the operator X computes the *strongest provable postconditions*.

In reality, even more might be deleted.

Aside: FOL with time

- One approach is a variation of first-order logic called <u>situation calculus</u> [McCarthy].
 - **Events** take place at specific times.
 - Some predicates are <u>fluents</u> and only apply for certain ranges in time.
 - A <u>situation</u> is a temporal interval over which all the predicates remain fixed.
 - This material from Ch. 6 will largely be skipped. We wil cover, or have covered, 6.6 on in class.
 - Please read chapter 6 unto the first page of 6.2, & the first 2 pages of 6.5

Going backwards

- Remember backwards chaining?
- State at the goal G.
- Assuming the deletions aren't there for some operator \underline{X}
 - Why?
- Can chain backwards by adding what would have been deleted and removing what would have been added

$$\begin{split} S &= f^{-1}\underline{X}(G) = (G\text{-}A) \cup D \\ \text{Maybe we added too much (with D),} \\ & \text{or deleted too little?} \end{split}$$

Means/ends analysis

- How can we get from initial to final?
 - Assume the states and operators are given.
 - What's the right path? How to we measure distance?
- Means/ends analysis assumes we simply reduce the number of things that make our current state different from out goal.

STRIPS

- STRIPS is an old planning language
 - STanford Research Institute Problem Solver.
 - Less expressive than situation calculus
 - Initial state:

At(office) & NOT(Have(Video)) & Have(Cash) & Have(Uncooked-kernels)

– Goal state

At(Home) & Have(Video) & Have(Cooked-Popcorn)

Schemas

- Basic operators assume a complete specification of the state in which they are applied.
- This can be tedious
 - An <u>operator schema</u> is a "generic" operator that has variables in it
 - Related to axiom schemas
 - Related to unification in logic (e.g. prolog)

E.g.

Tie_shoes(h), Tie_necktie(h), Tie_boat_rope(h), Tie_straightjacket(h) might all be abstracted by Tie_object(Y h)

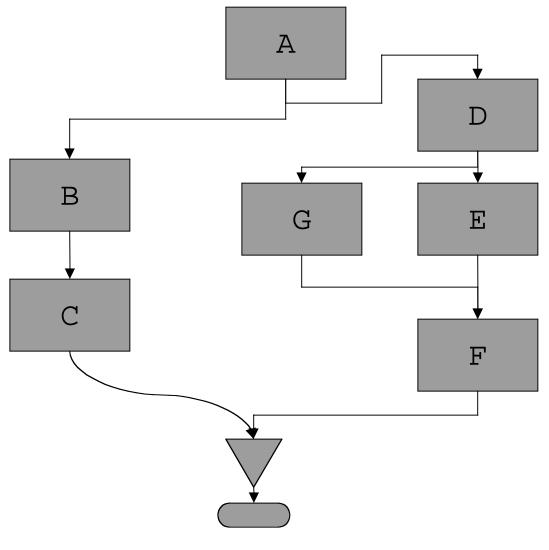
Tie_object(X,h)

Least Commitment Planning

- When we formulate a plan intuitively, we often think of doing things in a specific sequence *even when the sequencing is arbitrary*.
 This may not be wise.
- This can leads to re-shuffling actions... which is undesirable.

Generate plans such that we have sets of applicable actions, but we don't *order* the actions unless there is something (conditions) that demands it.

Partially ordered plan



Terminology

 <u>Constraints</u> on sequencing, <u>requirements</u> for operators, <u>links</u> relating operators, <u>conflicts</u> between operators in a given plan.

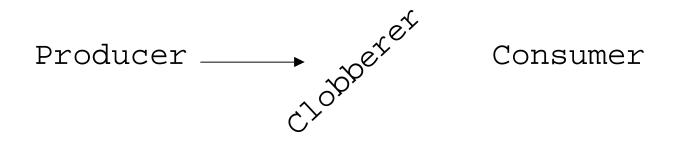
For a plan:

- <u>Sound</u>
 - Plan steps obey constraints on sequencing
 - Successful
- <u>Systematic</u>
 - Doesn't "waste" effort
- <u>Complete</u>
 - Generates a plan if one exists.
 - Still may not terminate (cf. Halting problem)
- Plan **refinement**
 - Improvement of an existing plan to make it better meet the constraints

Links & Conflicts

Producer ----- Consumer

A conflict involves a link, & a step that messes it up.



Refinement

Fix conflicts by creating a new one from an old one.

- Keep old structures (links, producers, consumers, constraints) but add new constraints
- If there are conflicts, resolve them by adding constraints: move a *clobberer* before of after the link it's hitting.

- (if you can).

• If there are no conflicts, satisfy an unfulfilled requirement.

Applications of planning

- Planning for Shakey the robot
 - Climb boxes
 - Push things
 - Move around
- Blocks world
 - Moving blocks
 - Piling them onto one another
 - Clearing the tops of chosen blocks
- Really doing this suggested we need **vision**!

Configuration Space Planning

Issues