

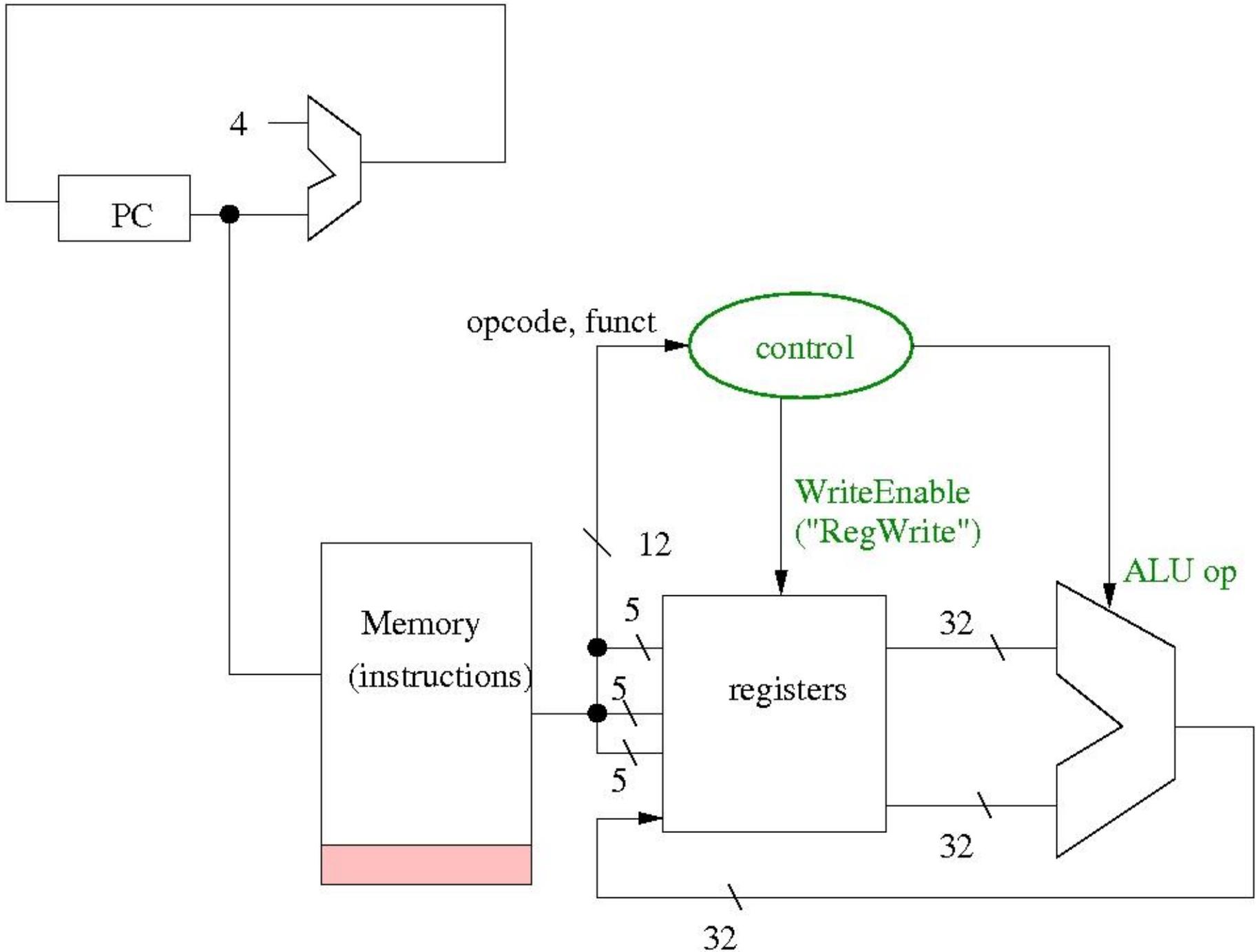
lecture 14

MIPS data path and control 2

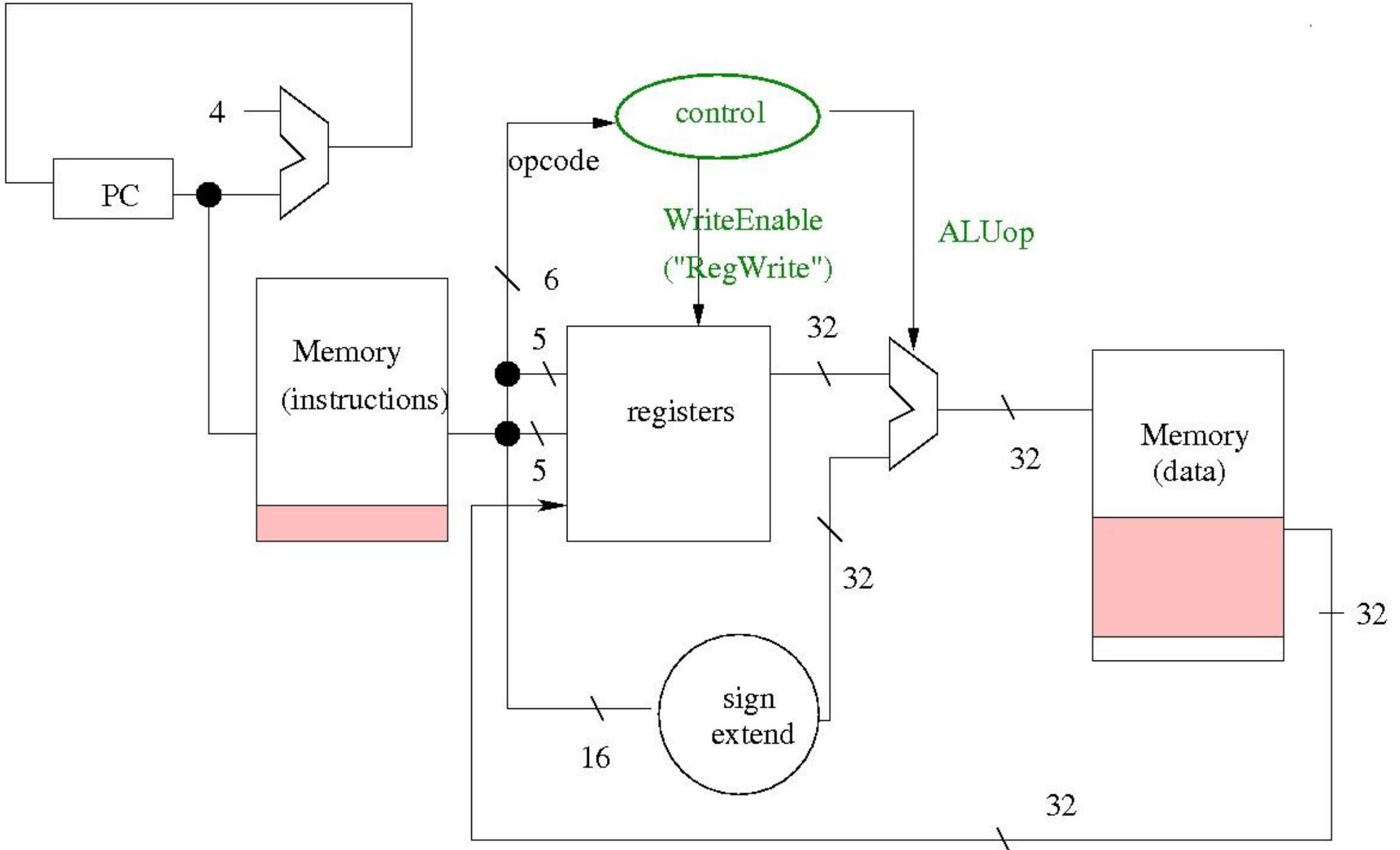
- merging data paths (for add, lw, sw, bne)
- controls
- more data paths

February 24, 2016

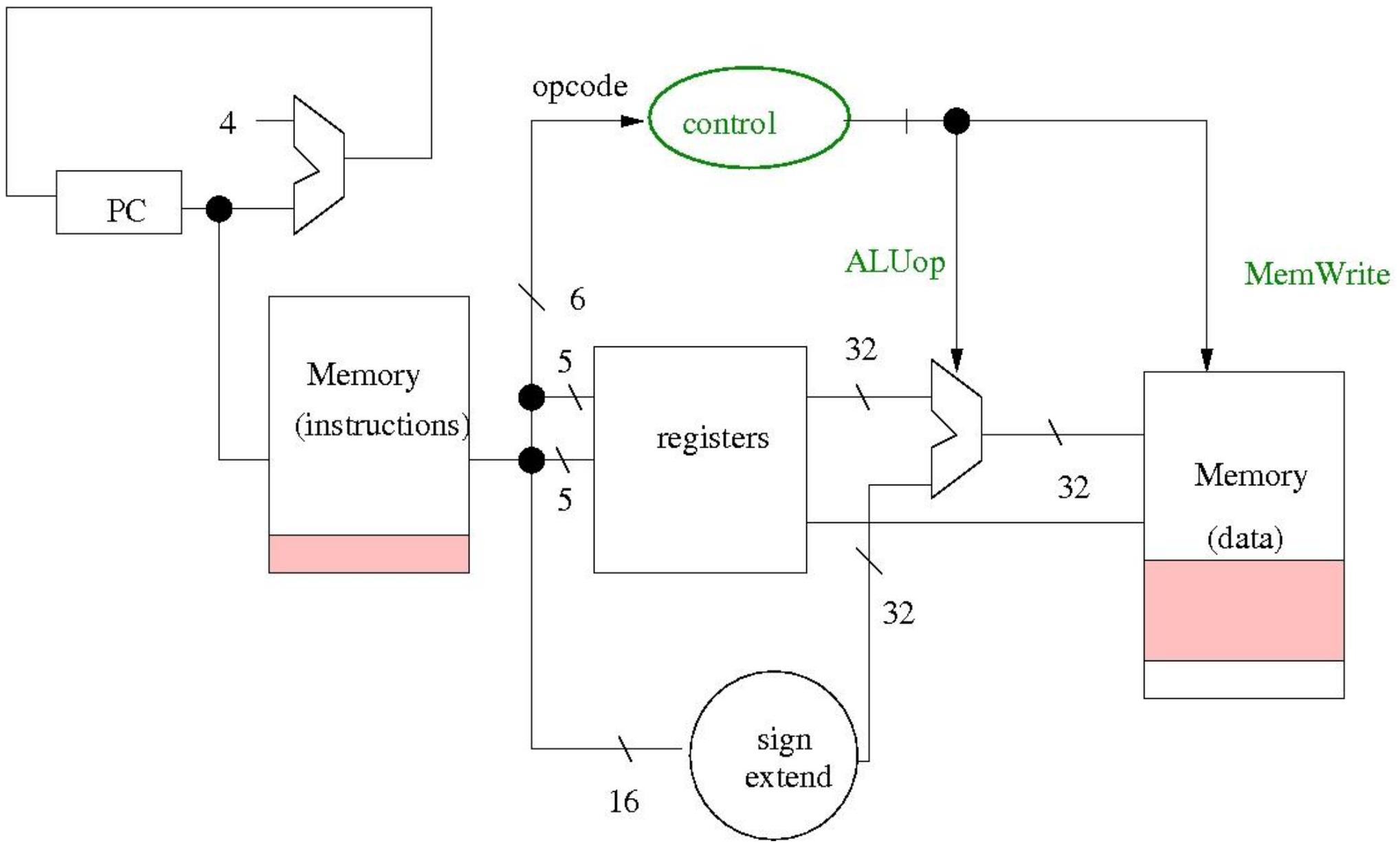
add \$16, \$17, \$18.



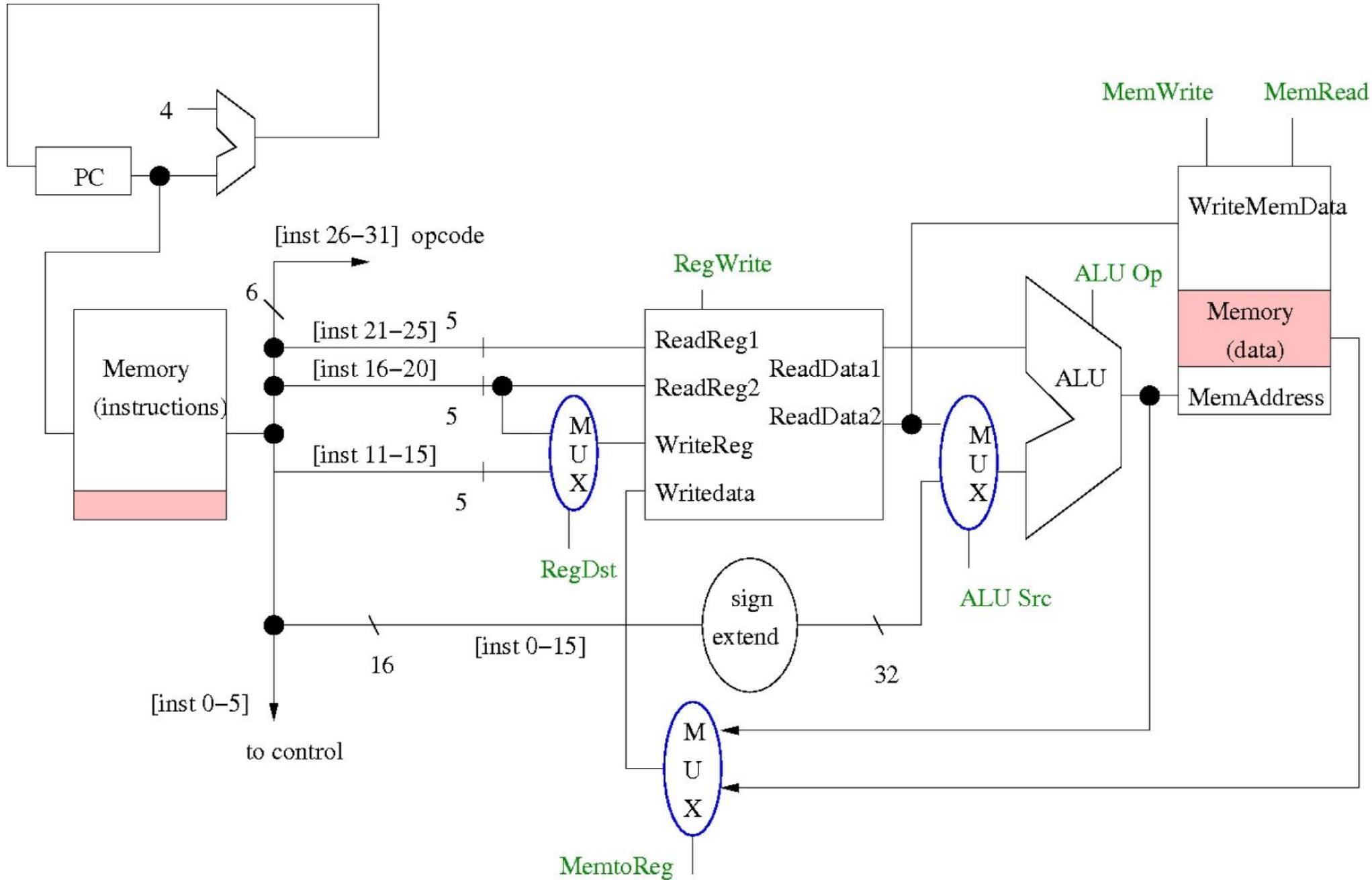
lw \$16, 40(\$17)



sw \$16, 40(\$17)

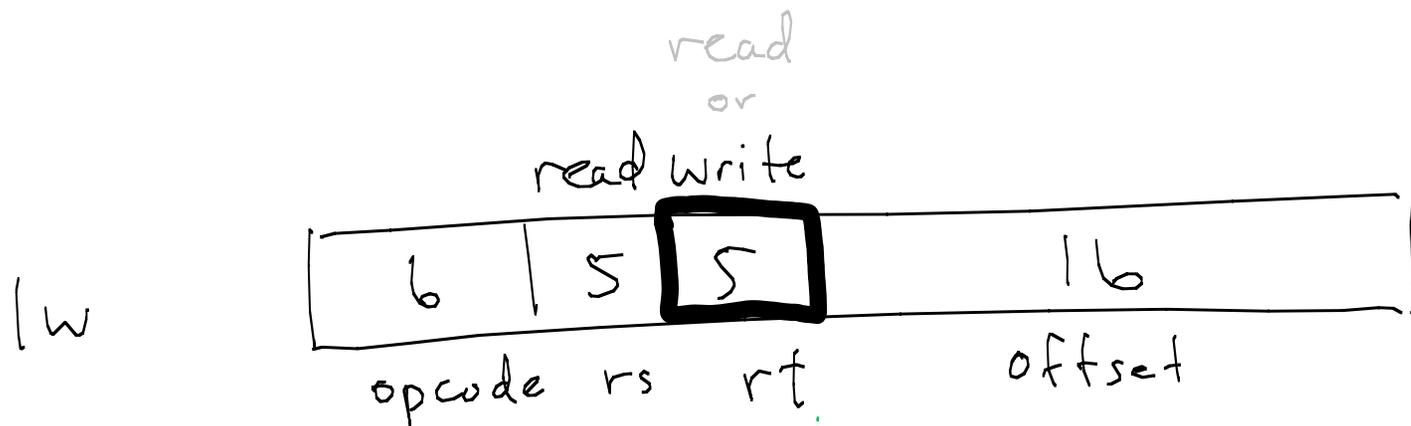
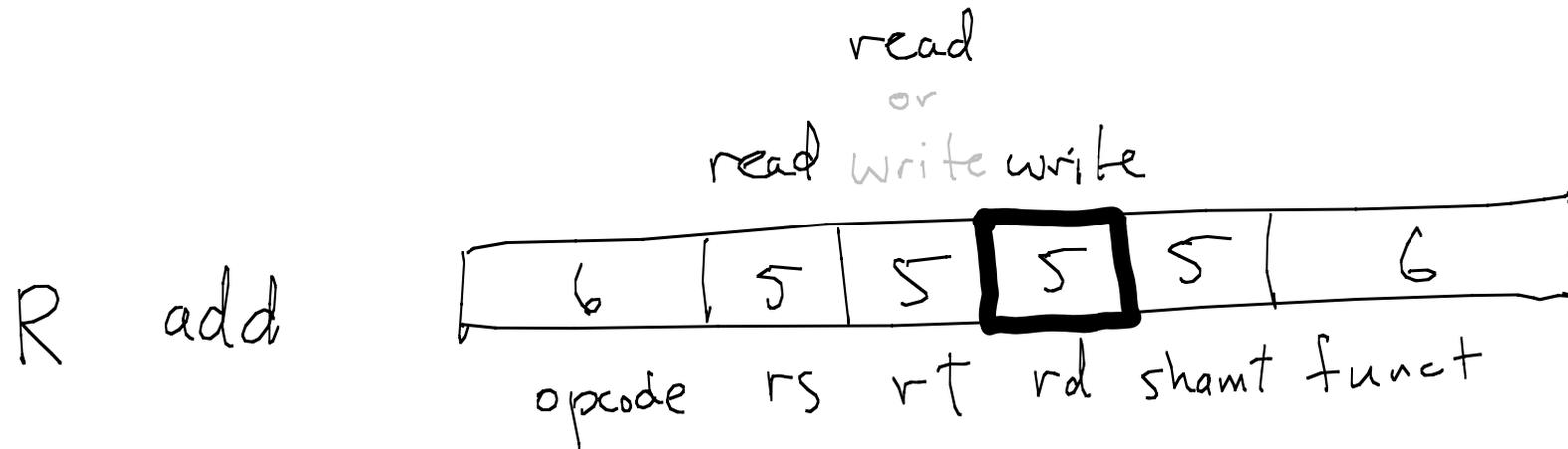


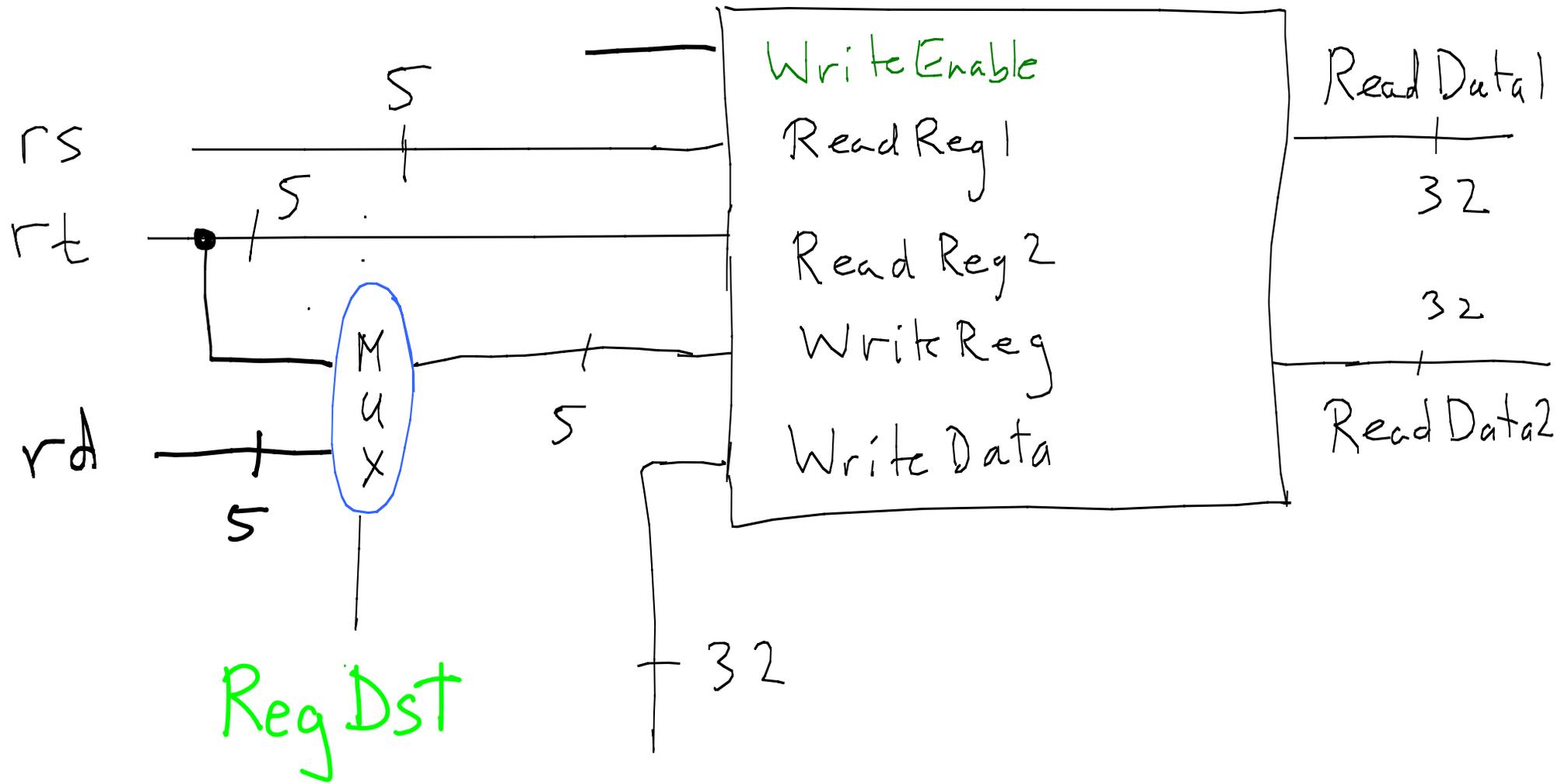
Merged data path (add, lw, sw)



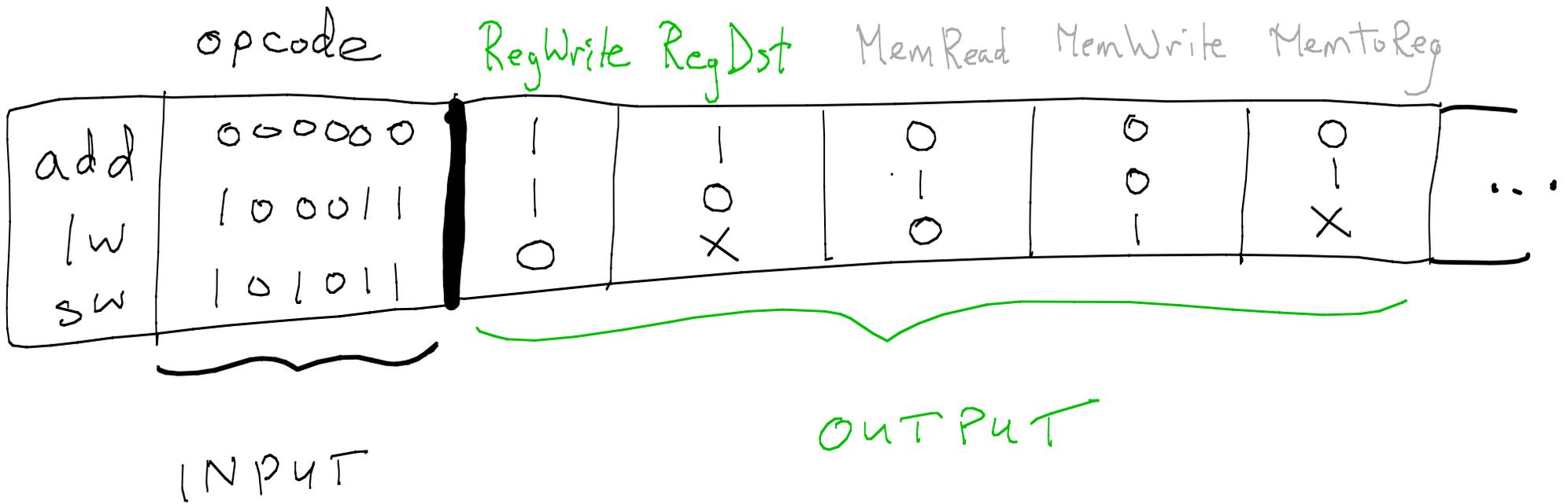
Let's look at the **controls** on the previous slide.

RegDst - if we are writing to a register, then to which one?



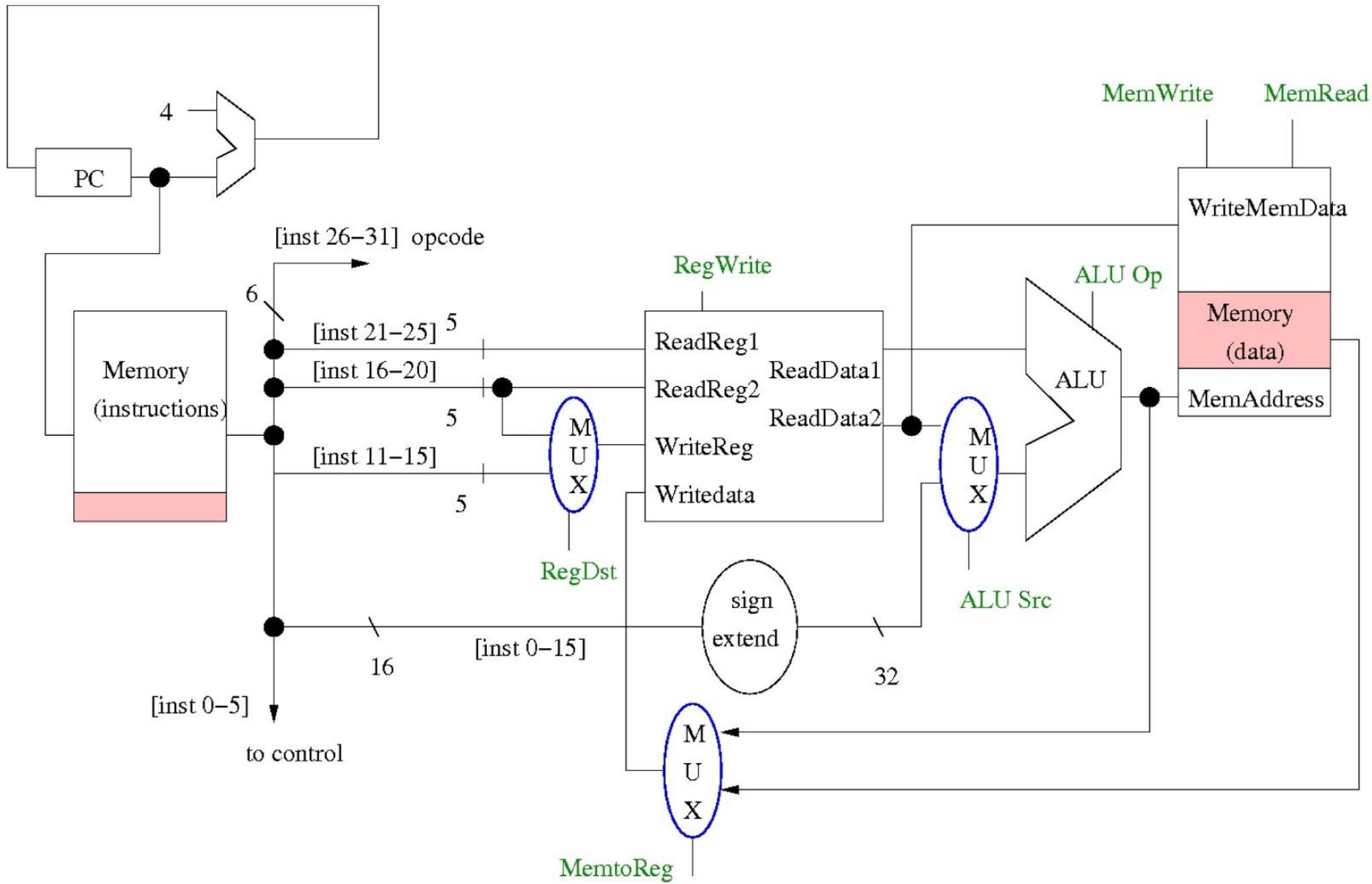


NEXT SLIDE



You can make a combinational circuit e.g. sum-of-products.

Merged data path (add, lw, sw)

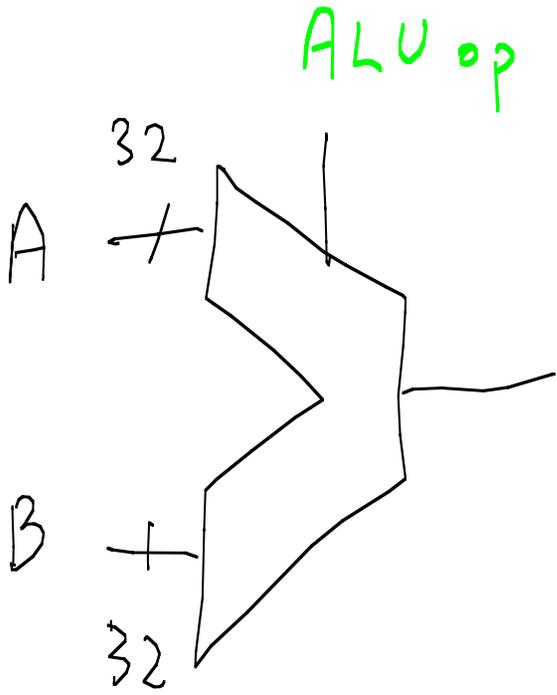


	opcode	RegWrite	RegDst	MemRead	MemWrite	MemtoReg	
add	000000	1	1	0	0	0	...
lw	100011	1	0	1	0	1	
sw	101011	0	X	0	1	X	

INPUT

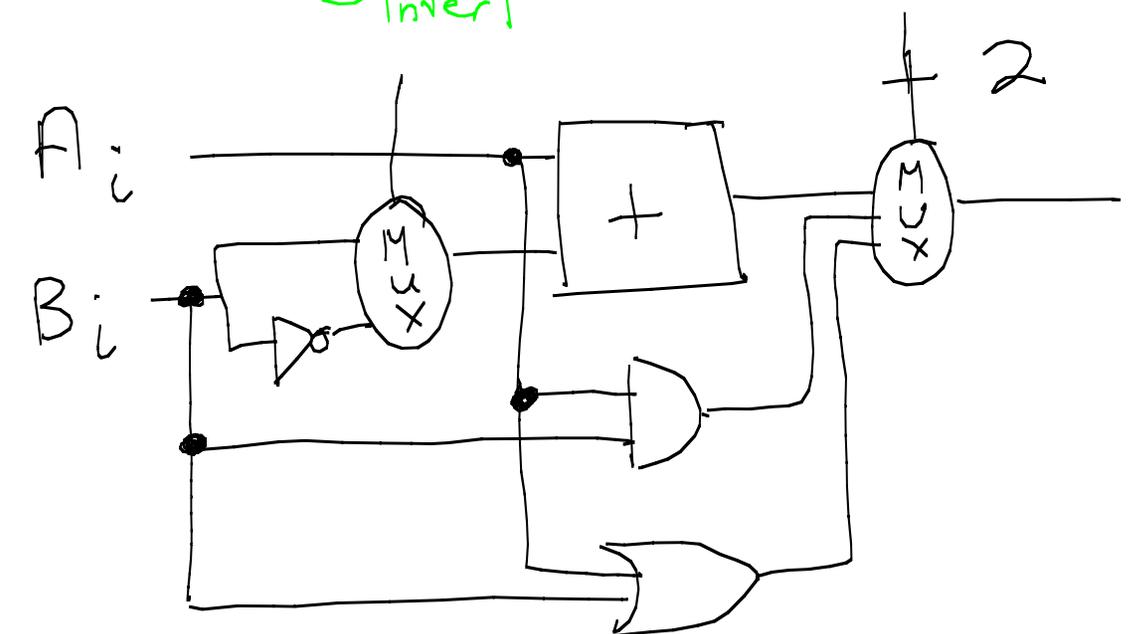
OUTPUT

ALU (Recall lecture 4)



operation
(+, AND, OR)

B_{invert}



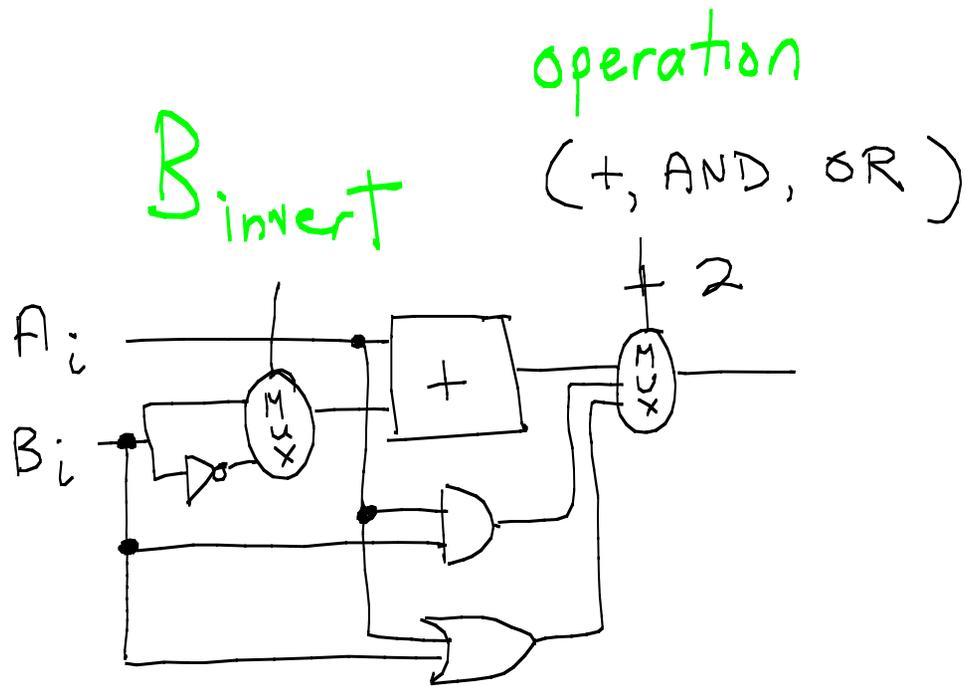
INPUT

OUTPUT

	opcode	funct	Binvert	Operation
add	000000	100000	0	10
sub	000001	100010	1	10
and	000010	100100	0	00
or	000011	100101	0	01
sll	000100	101010	1	11
lw	100011	x x x x x	00	10
sw	101011	x x x x x	00	10
bne	000101	x x x x x	1	10

Slt \$t0, \$s1, \$s2

"Set if less than" performs subtraction and produces result 0 or 1.



Exercise 5 Q1

what more is needed in this circuit?

For more details on the combinational circuit used to compute mapping on the previous slide, you would need to consult standard textbook by Patterson and Hennessey.

However, if you do, you will find that I'm defining ALUop in a more simplified way from what is done in the book.

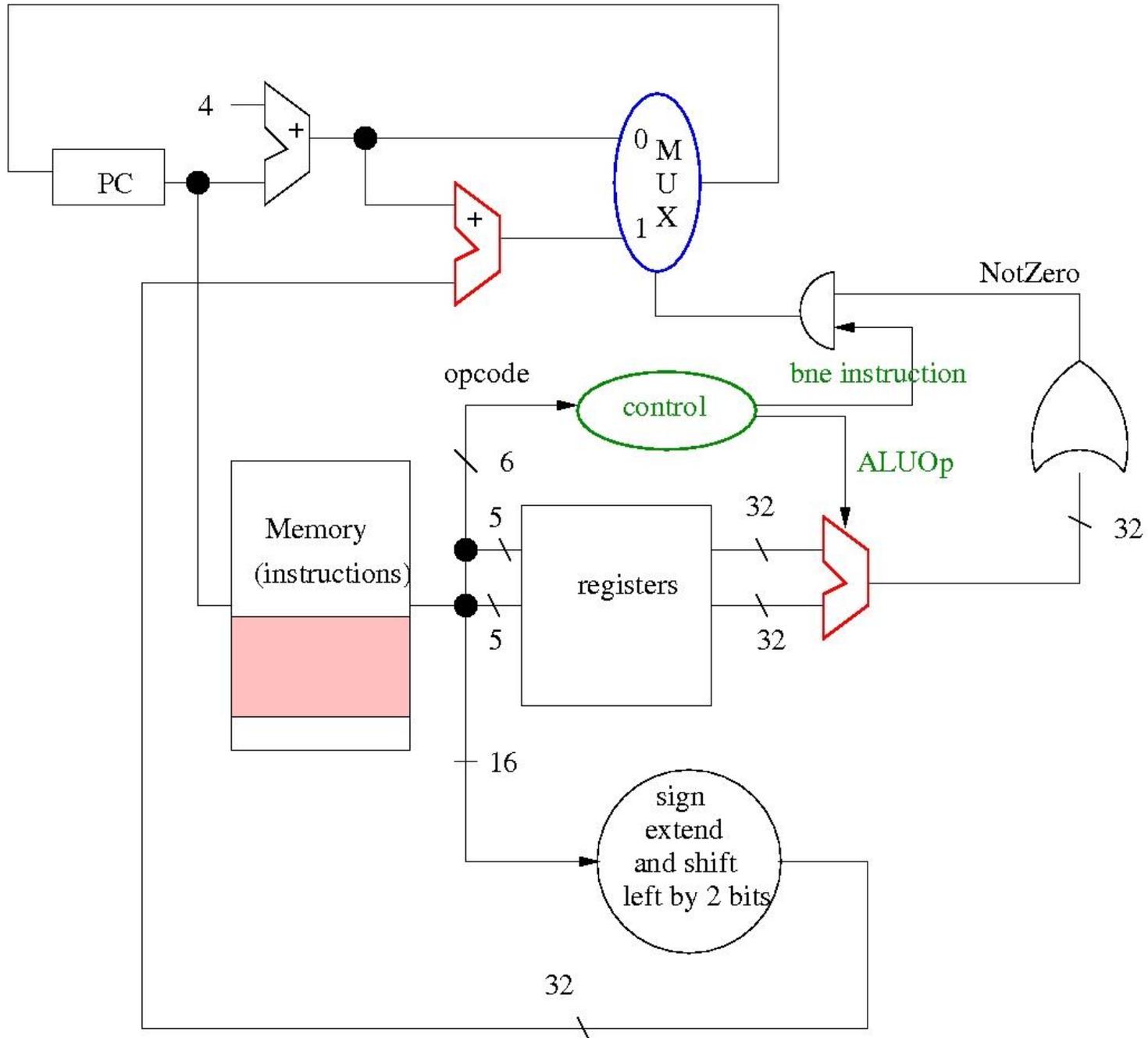
They use two combinational circuits: one for the instructions with opcode 000000 and funct field, and one for instructions with other opcodes.

Branching

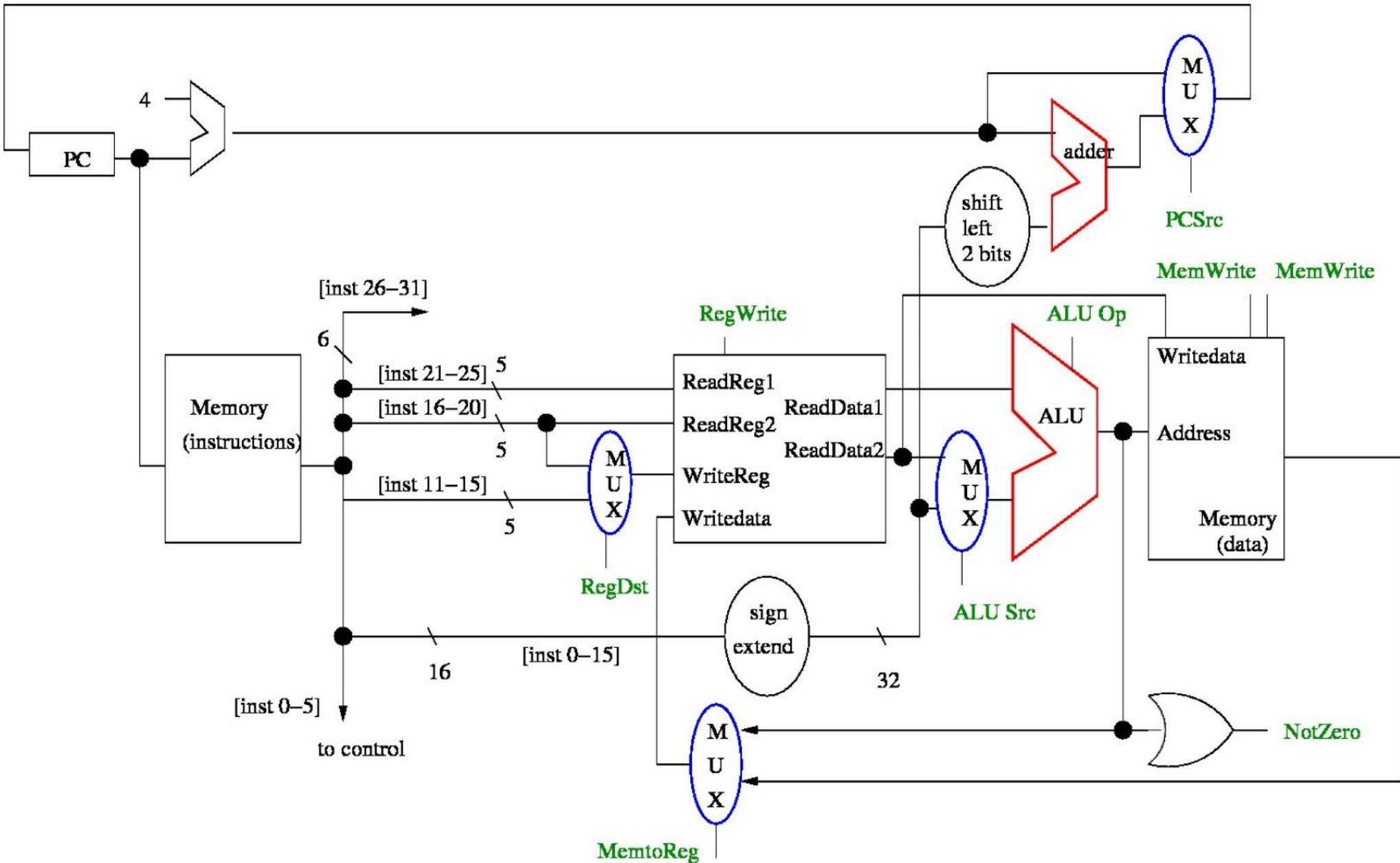
- conditional: bne, beq
- unconditional
 - jump ("j")
 - jump and link ("jal")
 - jump register ("jr")

In each case, we need to determine the next value of the program counter (PC) and possibly do other stuff.

bne \$18, \$17, Exit1



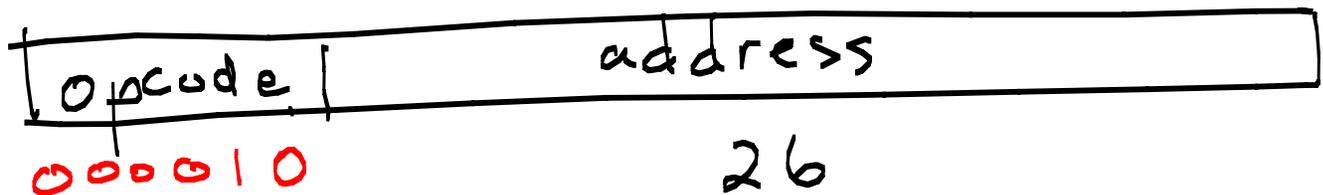
Here we merge the add/etc, lw, sw, bne datapaths.
We introduce a **PCSrc** control.



	INPUT		OUTPUT
	opcode	branch condition (not zero)	PC Src
add	000000	X	—
⋮	⋮		⋮
lw	100011	X	—
sw	101011	X	—
bne	000101	0	—
		1	—
li	000010	X	—
li	000011	X	—
li	000000	X	⋮

} selects PC + 4

L_i



000010

26

J
format

L_{al}



000011

26

L_r



000000



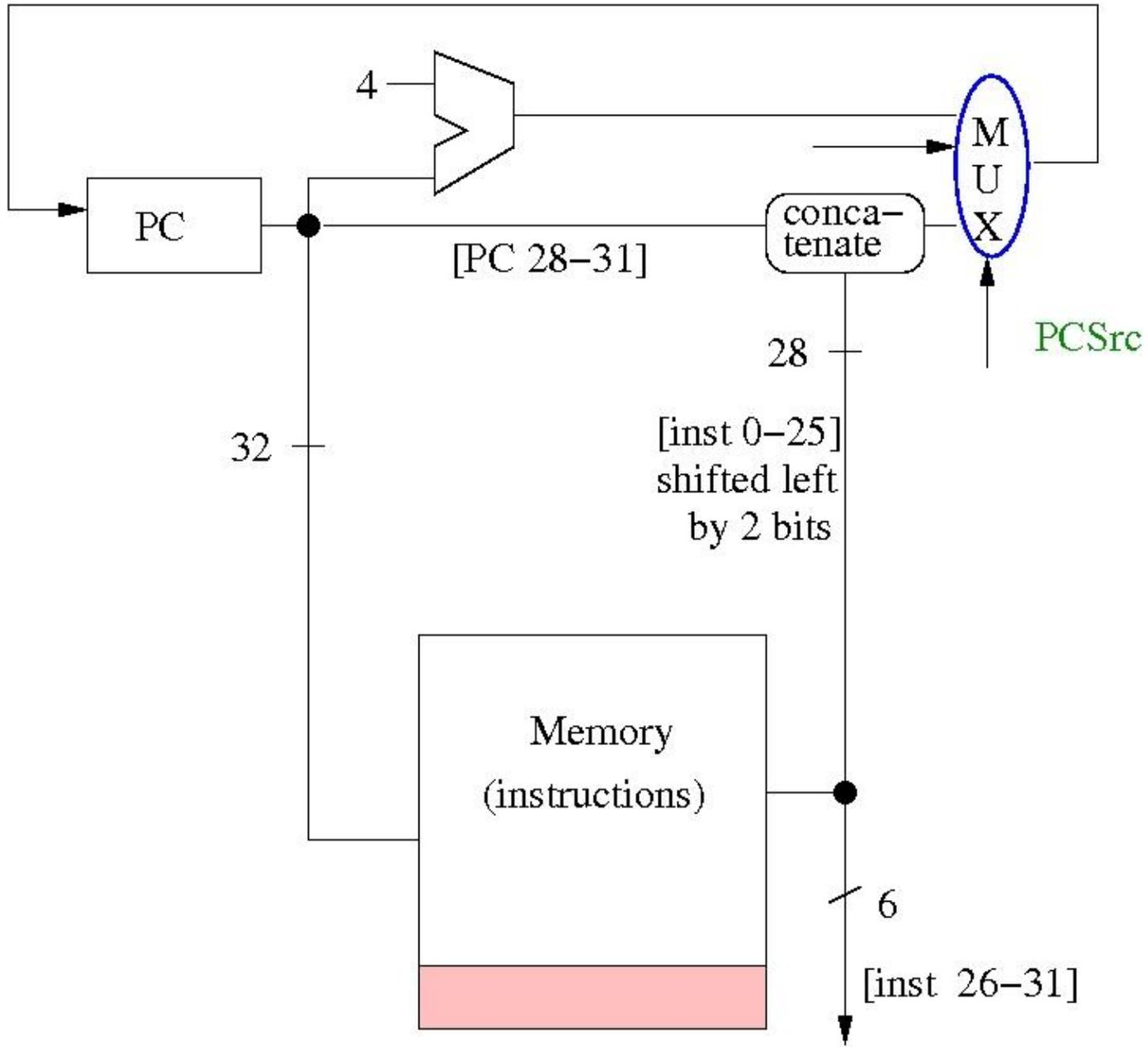
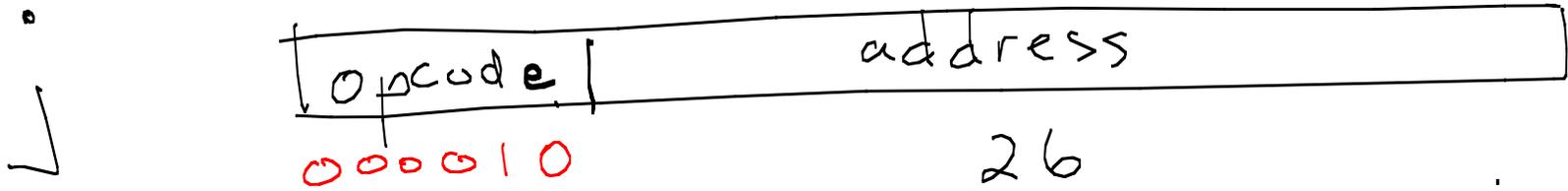
001000

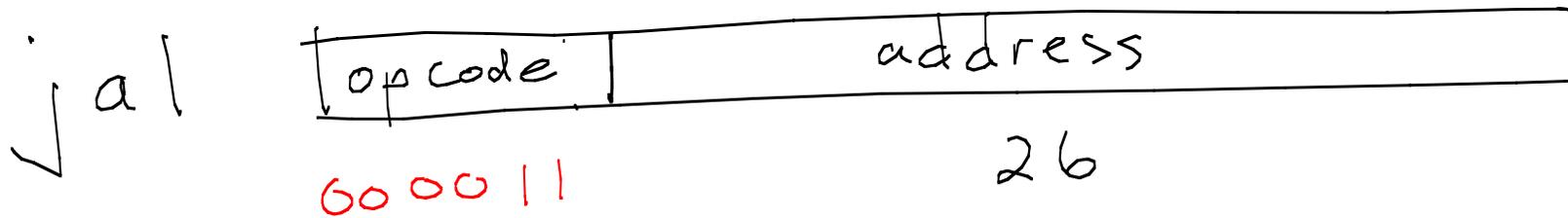


R
format

more than
one register
allowed
(not just \$ra)

also must play
a role in
determining PCsrc





Jump and link ("jal") is used for function calls.

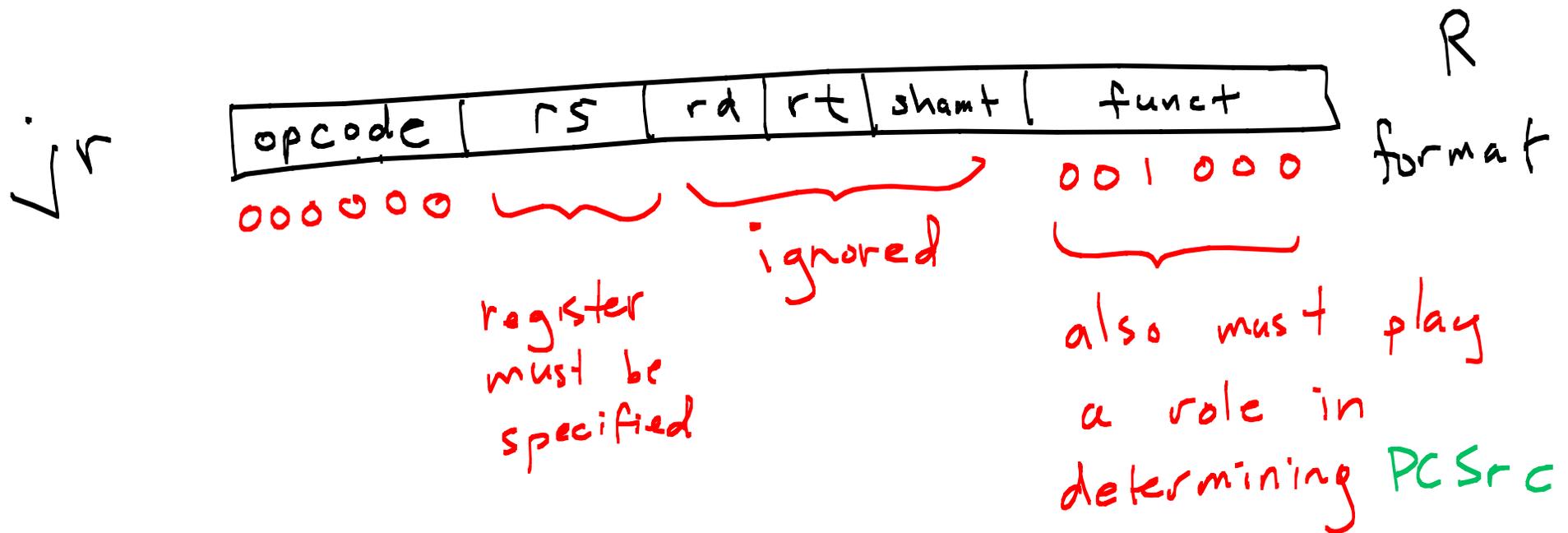
(Recall lecture 11. See Assignment 3.)

What is its datapath ?

What does "jump register" (jr \$ra) do ?

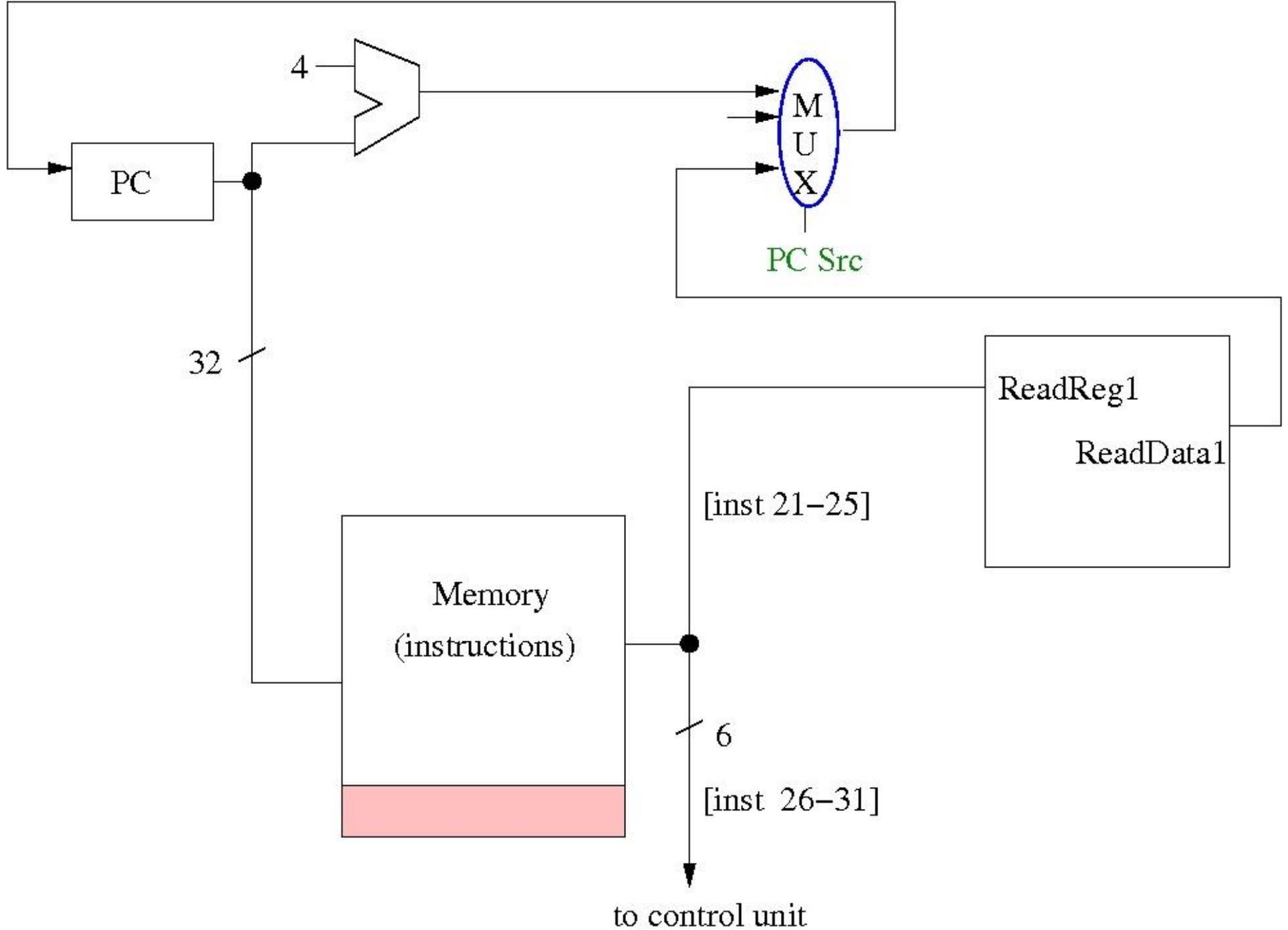
It is used to return from function calls:

(lecture 11 and Assignment 3)



jr

\$ra

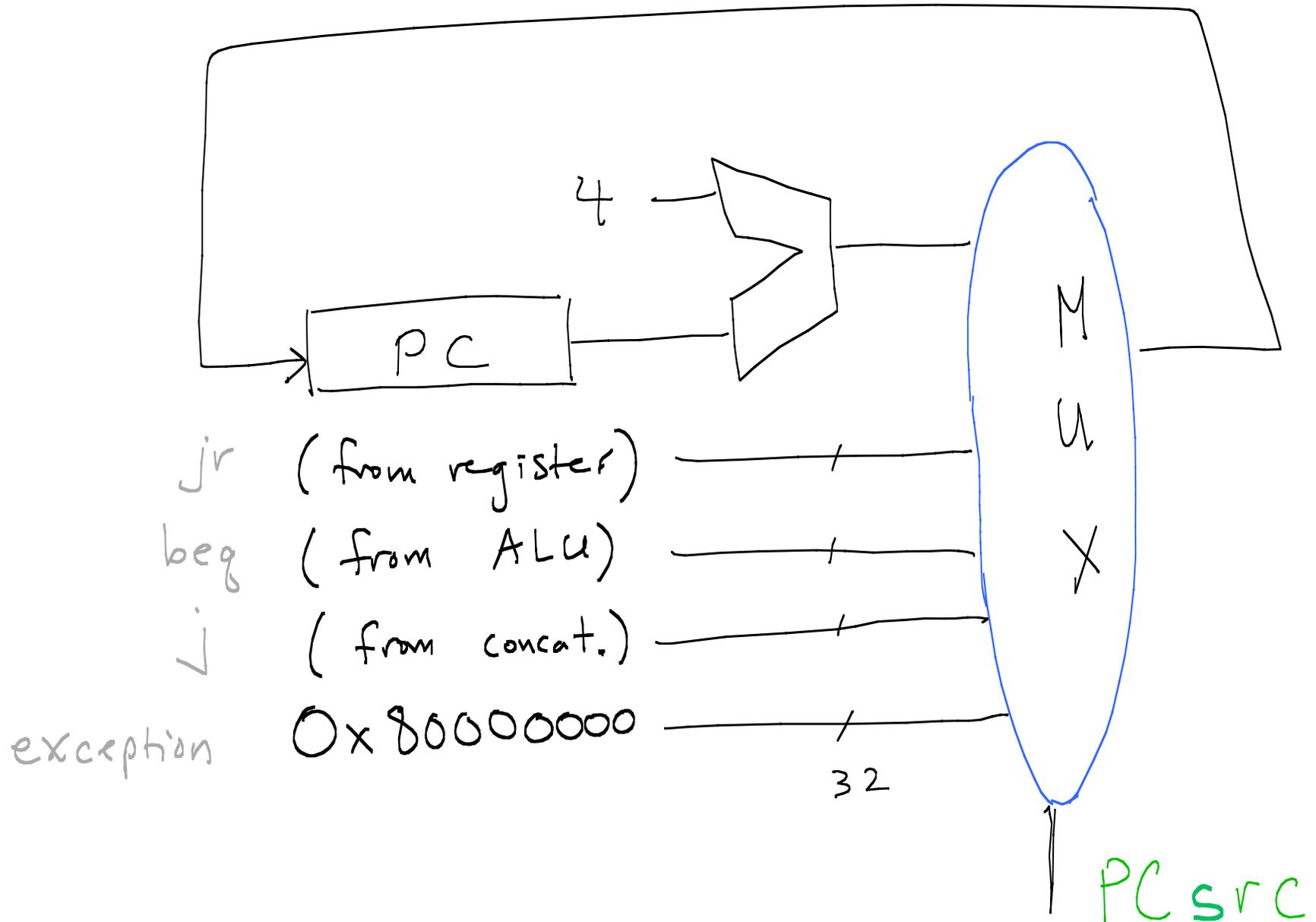


Exceptions

- integer division by 0
- bad address
-
- system call
- "interrupt" e.g. Ctrl-Alt-Del

⇒ Program will branch from user to kernel (0x8000 0000)

PCsrc control is used to *select* the address of the next instruction to be executed.





WARNING

Single Cycle Model (last two lectures) is not used in real MIPS implementations. Why not?

- inefficient : each clock cycle must be long enough for worst case

(Which instruction has longest data path on CPU ?)

- multiplication, division, floating point ops
(co-processor 1) also require more than 1 clock cycle

After the Study Break, I will sketch out the "multicycle" model that MIPS CPU's do use.

MARS DEMO

Recursive function calls and stack

Use example of sumton from lecture 11.

I have added a link to the code:

<http://www.cim.mcgill.ca/~langer/273/sumton.asm>

FIRST REVIEW ALGORITHM

Example: recursion

```
int sumto n (int n) { // n > 0
    if (n == 0)
        return 0;
    else
        return n + sumto n (n-1);
}
```

sumton:

```
# if n == 0 then branch to base case
# else push the two items onto the stack:
#     return address ($ra)
#     argument n ($a0)
#
# compute argument (n-1) for next call
# jump and link to sumton

# load the return address (pop)
# load argument from the stack (pop)
# change the stack pointer

# register $v0 contains result of sumton(n-1)
# add argument n to $v0
# return to parent
```

basecase:

```
# assign 0 as the value in $v0
# return to parent
```

Assignment 3

Given a list of N integers, return the one that is "of rank k ", that is, the integer that would be at index k in a sorted version of the list.

Let L be the list. Choose an element from L and call it "pivot".

Partition the list into three lists: L_1 , L_2 , L_3 such that:

- L_1 contains all the elements less than pivot
- L_2 contains all the element equal to pivot
- L_3 contains all the elements greater than pivot.

What then? (recursion)

Which data structure to use for L_1 , L_2 , L_3 ?

Announcements

- A2 grading scheme (small change)
- Quiz 3 and yellow stickies (mean ~70%)
- due date for A3 is Wed after study break